A		Reg. No. :				
		Question Pa	per Code: 967()3		
	В	.E. / B.Tech. DEGREE EX	KAMINATION, NO	OV 2023		
		Sixth Se	emester			
		Mechanical	Engineering			
		19UME603 - OPERA	TIONS RESEARC	CH		
		(Regulatio	ons 2019)			
Dur	ation: Three hou	ırs	Ν	Aaximum: 100	Marks	
		Answer ALI	L Questions			
		PART A - (10 x	1 = 10 Marks)			
1.	Graphical method can be applied to solve a LPP when there are onlyvariable					
	(a) One	(b) More than One	(c) Two	(d) Thre	e	
2.	If a constraint v	with <= type, then	variable should be	e added	CO1- U	
	(a) Slack	(b) Surplus	(c) Artificial	(d) Decisio	n	
3.	For solving an	assignment problem, whicl	h method is used		CO1- U	
	(a) MODI	(b) Hungarian	(c) German	(d) Ame	rican	
4.	MODI method	also called as			CO1- U	
	(a) North West	Corner rule	(b) Least Coast method			
	(c) U-V method	1	(d) Stepping Stone method			
5.	In which model, all the nodes must be connected with minimum CO1- U distance?					
	(a) Shortest pat	h	(b) Maximal flow			
	(c) Minimal spa	anning tree	(d) Critical path			
6.	Which method is a probabilistic approach?				CO1- U	
	(a) CPM	(b) PERT	(c) PRIM'S	(d) DIJK	KSTRA'S	
7.	The inventory i	may be categorized as	CO1- U			
	(a) Raw materi	als inventory	(b) In-process inventory			
	(c) Finished go	ods inventory	(d) All the above			

8.	The inventory needs to be maintained to decrease the CO1- U
	(a) Shortage costs (b) Setup costs (c) Loss of goodwill (d) All the above
9.	If a rectangular game has no saddle point, then the CO1-U strategies of players are
	(a) Pure strategies (b) Mixed strategies
	(c) Unique strategies (d) Specific strategies
10.	One of the methods for simplifying m x n game with mixed strategy is CO1- U
	(a) Dominance (b) Graphical (c) Saddle (d) Minimax
	PART - B (5 x 2 = 10 Marks)
11.	Explain the term operation research. CO1- U
12.	Explain unbalanced transportation problem. How do you balance it? CO1- U
13.	Explain network with an example. CO1- U
14.	Explain buffer stock or safety stock.CO1- U
15.	Explain why we use graphical method. CO1- U $PART - C (5 \times 16 = 80 \text{ Marks})$
16.	(a) Use Graphical method to solve the following LP problem to Maximize $Z = 6X_1 + 14X_2$ Subject to $5X_1 + 4X_2 \ge 60$ $3X_1 + 7X_2 \le 84$ $X_1, X_2 \ge 0$ Or (b) Use Simplex method to solve the following LP problem to Maximize $Z = 3X_1 + 2X_2 + 5X_3$ Subject to $1X_1 + 4X_2 \le 420$ $3X_1 + 2X_3 \le 460$ $1X_1 + 2X_2 + X_3 \le 430$ $X_1, X_2, X_3 \ge 0$ (16)
17.	(a) Solve the following transportation problem CO2- App (16) Destination $CO2- App (16)$ $A B C D Supply$ $A B C D Supply$ $1 1 20 7 8 50$ $2 21 16 20 12 40$ $3 12 18 9 70$ $Demand 30 25 35 40$ Or

(b) Solve the following assignment problem.

		Ι	II	III	IV	V
	1	11	17	8	16	20
Jobs	2	9	7	12	6	15
1008	3	13	16	15	12	16
	4	21	24	17	28	26
	5	14	10	12	11	15

Machines

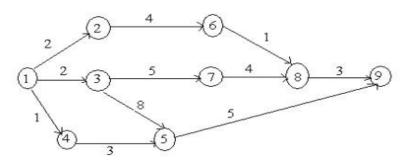
18. (a) Consider the details of a distance network as shown below.

CO2- App (16)

- (i) Construct a project network
- (ii) Determine the maximal flow from node 1 to 5

Arc $(i - j)$	Flow			
Arc $(1-j)$	\mathbf{f}_{ij}	\mathbf{f}_{ji}		
0-1	11			
0-2	12			
1-3	12			
2-1	1			
2-4	11			
3-4	7			
3-5	19			
4-5	4			
	Or			

(b) Find the critical path and calculate the earliest start, earliest CO2- App (16) finish, latest start, latest finish, total float, free float and independent float.



- 19. (a) A textile mill buys raw material from a vendor. The annual CO3- App (16) demand of the raw material is 9000 units. The ordering cost is Rs.100 per order and the carrying cost is 20% of the purchase price per unit month, where the purchase price per unit is Rs.1. Find (i) EOQ (ii) Time between two consecutive orders (iii) Number of orders per year (iv)Total cost w.r.t EOQ. Or
 - (b) The cost of a bike is Rs. 3000. The salvage value (resale CO4- App (16) value) and the running cost are given as under. Find the most economical replacement age of the bike.

Year	1	2	3	4	5	6	7
Running Cost	600	700	800	900	1000	1200	1500
Resale Value	2000	1333	1000	750	500	300	300

20. (a) Arrivals at a telephone both are considered to be Poisson at an CO3- App (16) average time of 8 min between our arrival and the next. The length of the phone call is distributed exponentially, with a mean of 4 min. Determine

(a) Expected fraction of the day that the phone will be in use.

(b) Expected number of units in the queue Expected waiting time in the queue.

(c) Expected number of units in the system.

(e) Expected waiting time in the system

Or

(b) Solve the following game.

CO3- App	(16)
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		Player B			
		1	2	3	4
	1	3	5	4	2
Dlavar A	2	5	6	2	4
Player A	3	2	1	4	0
	4	3	3	5	5

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