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Question Paper Code: U5203

B.E./B.Tech. DEGREE EXAMINATION, NOV 2023

Fifth Semester

Computer Science Engineering

21UCS503 THEORY OF COMPUTAION

(Regulation 2021)

Duration: Three hours

Maximum: 100 Marks

Answer ALL Questions

PART A - (10 x 2 = 20 Marks)

1. List out the differences between DFA, NFA and ϵ NFA. CO1- U
2. Construct an NFA with input symbol $\{0, 1\}$ in which double '1' is followed by double '0' CO2-App
3. List out the closure properties of Regular Language. CO1- U
4. Convert the following Regular grammar into finite automata
 $S \rightarrow 0A|1A, A \rightarrow 0A|1A|+B|-B, B \rightarrow 0B|1B|0|1$ CO2-App
5. Remove ϵ production from the given context free grammar
 $S \rightarrow XYX, X \rightarrow 0X|\epsilon, y \rightarrow 1Y|\epsilon$ CO2-App
6. Construct CFG for the language having any number of "a" over the input symbol $\{a\}$. CO2-App
7. Write down the formal definition of Push Down Automata (PDA). CO1- U
8. List out closure properties of CFL. CO1- U
9. Construct a Turing Machine which accepts the string $W = aba$ over the input symbol $\{a,b\}$ CO2-App
10. Differentiate Recursive and Recursively Enumerable Language CO1- U

PART – B (5 x 16= 80 Marks)

11. (a) Convert the following NFA to its equivalent DFA CO2-App (16)

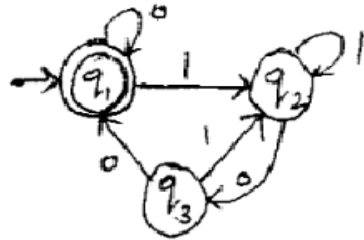
	a	b
->q1	{q1,q2}	{q2}
*q2	{q3}	{q2}
q3	{q3}	{q3,q4}
*q4	ϕ	ϕ

Or

- (b) Convert the following ϵ -NFA to NFA without ϵ transition CO2-App (16)

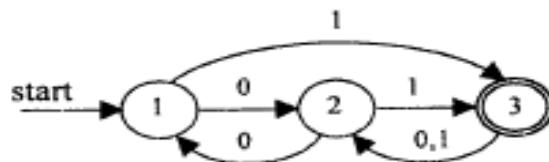
	ϵ	a	b	c
->p	ϕ	{q}	{p}	ϕ
q	{r}	ϕ	{q}	ϕ
*r	ϕ	ϕ	ϕ	{r}

12. (a) (i) Construct an ϵ -NFA to accept the language indicated by the following regular expression $((01+001)^*0^*)^*$. CO2-App (8)



Or

- (b) (i) Find the regular expression for the following deterministic finite automata using State Elimination Method. CO2-App (8)



- (ii) Construct an NFA to accept the language indicated by the following regular expression $(0+1)^*(00+11)$ CO2-App (8)

13. (a) (i) Convert the following CFG to Greibach Normal Form CO2-App (10)

$S \rightarrow CA|BB$
 $B \rightarrow b|SB$
 $C \rightarrow b$
 $A \rightarrow a$

(ii) Simplify the Following Context Free Grammar. CO2-App (6)
 $S \rightarrow AB|CA$
 $B \rightarrow BC|AB$
 $A \rightarrow a$
 $C \rightarrow aB|b$

Or

(b) (i) Convert the following CFG to GNF CO2-App (10)
 $S \rightarrow AA|0$
 $A \rightarrow SS|1$

(ii) Consider the following productions CO2-App (6)
 $S \rightarrow 0B|1A$
 $A \rightarrow 0|0S|1AA$
 $B \rightarrow 1|1S|0BB$

For the string $W=00110101$, find a leftmost derivation

14. (a) (i) Construct a PDA accepting by empty stack for the language CO2-App (16)
 $L = \{a^n b^n \mid n \geq 1\}$.

(ii) Convert the following Context free grammar to a Push Down Automata.

$E \rightarrow E + E$
 $E \rightarrow id$

Or

(b) Construct a context-free grammar G which accepts $L(M)$, CO2-App (16)
 where $M = (\{q_0, q_1\}, \{a, b\}, \{a, z_0\}, \delta, q_0, z_0, \phi)$ and where δ is given by

- a. $\delta(q_0, a, z_0) = \{(q_0, az_0)\}$
- b. $\delta(q_0, a, a) = \{(q_0, aa)\}$
- c. $\delta(q_0, b, a) = \{(q_1, \epsilon)\}$
- d. $\delta(q_1, b, a) = \{(q_1, \epsilon)\}$
- e. $\delta(q_1, \epsilon, z_0) = \{(q_1, \epsilon)\}$

15. (a) Construct Turing Machine for the Language $L = \{a^n b^n\}$ where CO2-App (16)
 $n \geq 1$

Or

(b) Design a Turing Machine M for $f(x, y) = x * y$ and x, y are stored CO2-App (16)
 in the tape in the form $0^x 1 0^y 1$.

