# **Question Paper Code: 45021**

B.E. / B.Tech. DEGREE EXAMINATION, AUGUST 2021

Fifth Semester

Computer Science and Engineering

## 14UMA521 - DISCRETE MATHEMATICS

(Regulation 2014)

(Common to IT Branch)

Duration: 1:45 hour

Maximum: 50 Marks

PART A - (10 x 2 = 20 Marks)

#### (Answer any ten of the following questions)

- 1. Using truth table, show that  $P \lor \neg (P \land Q)$  is tautology.
- 2. Find the recurrence relation from  $y_k = A2^k + B3^k$ .
- 3. Give an example of a graph which is both Eulerian and Hamiltonian.
- 4. Draw all the spanning trees of  $K_3$ .
- 5. Let A={ a, b, c } and  $\rho(A)$  be its power set. Draw the Hasse diagram of  $(\rho(A), \subseteq)$ .
- 6. Using truth table, show that  $P \lor \neg (P \land Q)$  is tautology.
- 7. Find the recurrence relation from  $y_k = A2^k + B3^k$ .
- 8. Give an example of a graph which is both Eulerian and Hamiltonian.
- 9. Draw all the spanning trees of  $K_3$ .
- 10. Is the poset( $Z^+$ ,/) a lattice?
- 11. Define quantifiers. What are its types.
- 12. Find the recurrence relation from  $y_k = A2^k + B3^k$ .
- 13. State any two properties of trees.

- 14. Draw all the spanning trees of  $K_3$ .
- 15. Is the poset( $Z^+$ ,/) a lattice?

## PART – B (3 x 10= 30 Marks)

# (Answer any three of the following questions)

- 16. Obtain the principal disjunctive and principal conjunctive normal forms of  $(P \to (Q \land R)) \land (\sim P \to (\sim Q \land \sim R)).$  (10)
- 17. Solve the recurrence relation  $y_{n+2} 6y_{n+1} + 9y_n = 0$ ,  $y_1 = 4$  and  $y_0 = 1$ . (10)
- 18. Find the adjacency matrix of the following graph *G*.

Find  $A^2$ ,  $A^3$  and  $Y = A + A^2 + A^3 + A^4$ . What is your observation of entries in  $A^2$  and  $A^3$ ? (10)

- 19. Let \* be defined on *R* by  $x * y = x + y + 2xy \forall x, y \in R$ . Check whether (*R*,\*) is a monoid (or) not. Is it commutative? Also find the inverses of (*R*,\*). (10)
- 20. Prove that De Morgan's laws hold good for a complemented distributive lattice. (10)