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Question Paper Code:95B03

B.E./B.Tech. DEGREE EXAMINATION, APRIL 2024

Fifth Semester

Biomedical Engineering

19UBM503–BIO CONTROL SYSTEM

(Regulation 2019)

Duration: 3.00 hours

Maximum: 100 Marks

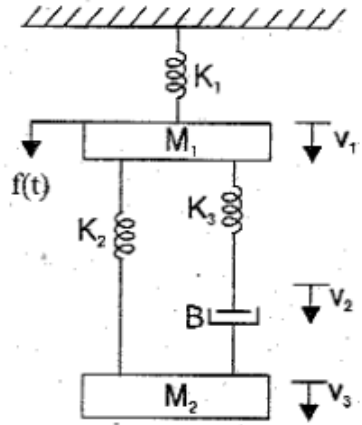
Answer ALL Questions

PART A-(10 x 2=20 Marks)

1. Distinguish between open loop and closed loop system. CO1-U
2. Why negative feedback is invariably preferred in closed loop control system? CO1-U
3. Define settling time. CO1-U
4. How the roots of characteristic equation are related to stability? CO1-U
5. List out the different frequency domain specifications. CO1-U
6. Define phase margin. CO1-U
7. Compare transfer function approach and state variable approach. CO1-U
8. Define Controllability of a system. CO1-U
9. What is the need of physiological modeling? CO1-U
10. Write the examples of physiological control system. CO1-U

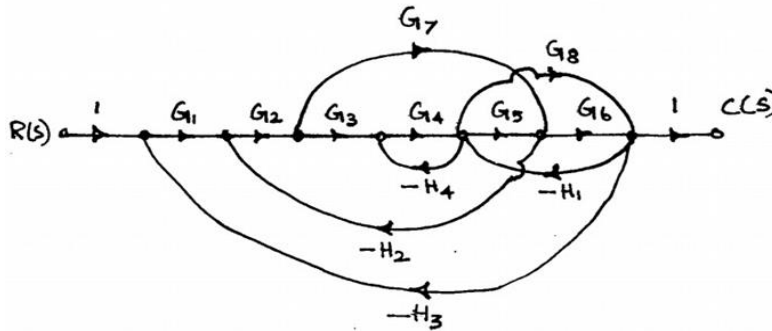
PART– B(5X 16= 80 Marks)

11. (a) For the mechanical system shown in Fig, draw the force voltage and force current electrical analogous circuits. Also verify the differential equations governing the electrical systems derived by Kirchhoff's laws with the differential equations governing the mechanical system derived by Newton's second law of motion. CO2-App (16)



(OR)

- (b) Estimate the $C(s)/R(s)$ for the Signal flow graph shown below using CO2-App (16) Mason's gain formula.



12. (a) i) The open loop transfer function of a unity feedback system is CO3-Ana (8)

given by $G(s) = \frac{20}{(s^2 + 5s + 6)}$. Determine the damping ratio,

maximum overshoot, peak time, settling time and rise time for unit step input.

- ii) The open loop transfer function of unity feedback system is CO3-Ana (8)

given by $G(s) = \frac{10}{s(s+1)(s+2)}$. Determine the steady state

error of the system for the input $r(t) = 1 + 2t + 1.5t^2$.

(OR)

- (b) Construct the root locus of the system whose open loop transfer CO3-Ana (16)
 function $G(S) = \frac{K}{s(s+2)(s+4)}$. Determine the value of K so that the
 damping ratio of the closed loop system is 0.5.

13. (a) Sketch Bode log-magnitude and phase plot for the following CO4-Ana (16)
 transfer function

$$G(s)H(s) = \frac{40}{s(s+2)(s+5)}$$

From the Bode plot, evaluate the gain cross over frequency,
 phase cross over frequency, gain margin and phase margin.
 Comment on stability.

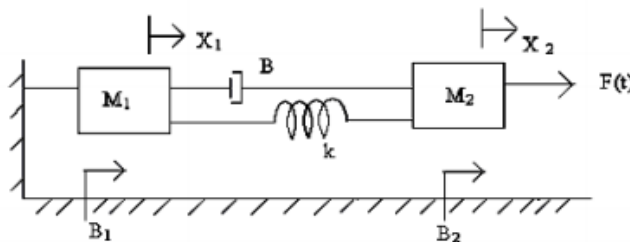
(OR)

- (b) Sketch polar plot for the given system whose open loop transfer CO4-Ana (16)
 function is

$$G(s) = \frac{1}{s(s+10)(s+50)}$$

Determine gain margin and phase margin of the system and
 analyze the system stability.

14. (a) i) Obtain the state model of the mechanical system shown in fig. CO2-App (8)



- ii) Test the controllability of the system whose state space CO2-App (8) representation is given as

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \\ \dot{x}_3 \end{bmatrix} = \begin{bmatrix} 0 & 0 & 1 \\ -2 & -3 & 1 \\ 0 & 2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} + \begin{bmatrix} 0 \\ 2 \\ 0 \end{bmatrix} u \quad \text{and}$$

$$y = [1 \quad 0 \quad 0] \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix}.$$

(OR)

- (b) i) Obtain the transfer function model for the following state space CO2-App (8) system.

$$A = \begin{bmatrix} 0 & 1 \\ -6 & -5 \end{bmatrix}; \quad B = \begin{bmatrix} 1 \\ 0 \end{bmatrix}; \quad C = [1 \quad 0]; \quad D = [0].$$

- ii) The state equation and initial condition vector of a linear time CO2-App (8) invariant system are given below. Determine the solution of state equation.

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 1 & 1 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}; \quad X_0 = \begin{bmatrix} 1 \\ 0 \end{bmatrix}$$

15. (a) i) Briefly explain with suitable examples the need for modeling CO1-U (8) in physiological system.
- ii) Differentiate physiological control system with an engineering CO1-U (8) control system.

(OR)

- (b) i) With a neat diagram explain the linear model of any one CO1-U (8) physiological system.
- ii) Describe the various properties of generalized biological CO1-U (8) system and explain how to create models with combinations of system elements.