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**Question Paper Code: 54303**

B.E. / B.Tech. DEGREE EXAMINATION, MAY 2018

Fourth Semester

Electrical and Electronics Engineering

15UEE403- CONTROL SYSTEMS

(Regulation 2015)

Duration: Three hours

Maximum: 100 Marks

PART A - (10 x 1 = 10 Marks)

1. Loop which do not possess any common node are said to be \_\_\_\_\_ loops. CO1- R  
(a) Forward gain      (b) Touching loops      (c) Non touching loops      (d) Feedback gain
2. In \_\_\_\_\_ electrical signal is converted in to angular motion. CO1- R  
(a) Series motor      (b) Generator      (c) Servomotor      (d) Shunt motor
3. Rise time is time taken for response to raise from \_\_\_\_\_ CO2- R  
(a) 0 to 100%.      (b) 10 to 100%.      (c) Infinity      (d) Both a and b
4. The steady state error is value of error signal when time t is \_\_\_\_\_ CO2- R  
(a)  $t < \infty$ .      (b)  $t > \infty$ .      (c)  $t = \infty$ .      (d)  $t \rightarrow \infty$ .
5. The Gain Cross Over Frequency is the frequency at which the phase of the open loop transfer function is \_\_\_\_\_ CO3- R  
(a)  $90^\circ$       (b) Greater than  $180^\circ$       (c) Less than  $180^\circ$       (d)  $180^\circ$

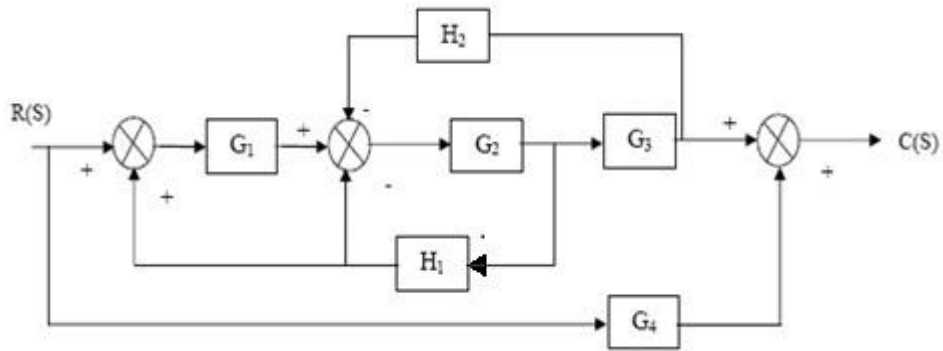
6. Resonance Peak is the \_\_\_\_\_ value of the magnitude of closed loop transfer function. CO3- R
- (a) Maximum (b) Minimum  
 (c) Zero (d) None of the above
7. Location of roots on the imaginary axis makes the system : CO4- R
- (a) Stable (b) Unstable (c) Marginally stable (d) Linear
8. The characteristic equation of a system is given as  $3S^4 + 10S^3 + 5S^2 + 2 = 0$ . This system is : CO4- R
- (a) Stable (b) Marginally stable (c) Linear (d) Unstable
9. If  $X(0)$  is initial value, solution of state equation is \_\_\_\_\_ CO5- R
- (a)  $A e^{At} X(0)$  (b)  $e^{At} X(0)$  (c)  $At e^{At} X(0)$  (d)  $t e^{At} X(0)$
10. The transfer function for the state variable representation  $\dot{X} = AX + BU$ ,  $Y = CX + DU$  is given by CO5- R
- (a)  $D + C(sI - A)^{-1} B$  (b)  $B(sI - A)^{-1} C + D$   
 (c)  $D(sI - A)^{-1} B + C$  (d)  $C(sI - A)^{-1} D + B$

PART – B (5 x 2= 10Marks)

11. Define transfer function. CO1- R
12. What is rise time and settling time? CO2- R
13. Define Gain margin. CO3- R
14. State Routh stability criterion. CO4- R
15. Define State and State variables. CO5- R

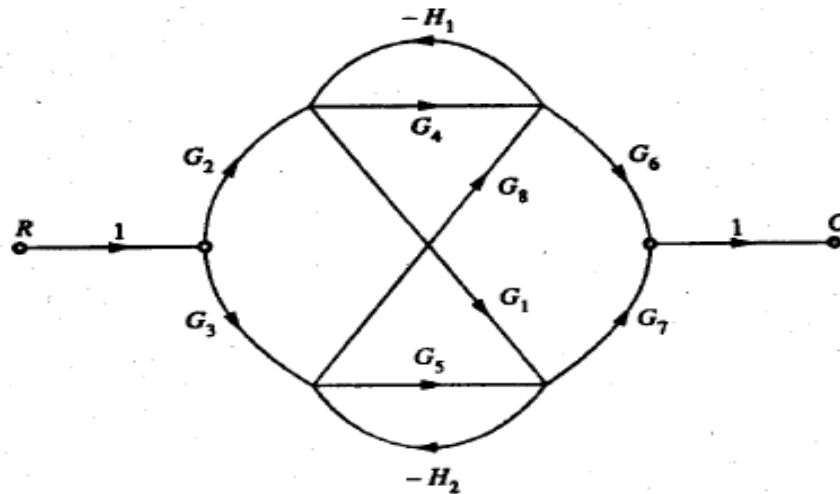
PART – C (5 x 16= 80Marks)

16. (a) Obtain the closed loop transfer function  $C(S)/R(S)$  of the system whose block diagram is shown in fig. CO1- App (16)



Or

- (b) Obtain the overall gain of the system by using Mason's gain formula CO1- App (16)  
formula



17. (a) Derive an expression for the time response of an under damped second order system when it is subjected to unit step input. CO2- App (16)

Or

- (b) Determine the steady state error for a system having CO2- Ana (16)

$$G(S)H(S) = \frac{100}{S^2(1+0.05S)(S+2)} \text{ and input as } r(t) = t^2$$

18. (a) For the following transfer function draw bode plot and obtain gain cross-over frequency. CO3- Ana (16)

$$G(S) = \frac{20}{S(1+3S)(1+4S)}$$

Or

- (b) The open loop transfer function of a unity feedback system is CO3- Ana (16)  
given by

$$G(S) = \frac{1}{S(S+1)(2S+1)}. \text{ Sketch the polar plot and determine the gain margin and phase margin.}$$

19. (a) Draw the Nyquist plot for the system whose open loop transfer CO4- U (16)  
function is  $G(S)H(S) = \frac{K}{S(S+2)(S+10)}$ . Determine the range of K for which closed loop system is stable.

Or

- (b) Explain the procedure for the design of the lag compensator based CO4- Ana (16)  
on frequency response approach using bode plot.

20. (a) Determine the canonical state model of the system, whose transfer CO5- U (16)  
function is  $T(S) = \frac{2(S+5)}{(S+2)(S+3)(S+4)}$

Or

- (b) Evaluate the controllability and observability of the following state CO5- U (16)

model

$$\begin{bmatrix} X_1 \\ X_2 \\ X_3 \end{bmatrix} = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ 0 & -2 & -3 \end{bmatrix} \begin{bmatrix} X_1 \\ X_2 \\ X_3 \end{bmatrix} + \begin{bmatrix} 0 \\ 0 \\ 10 \end{bmatrix} U$$

$$Y = \begin{bmatrix} 1 & 0 & 0 \end{bmatrix} \begin{bmatrix} X_1 \\ X_2 \\ X_3 \end{bmatrix}$$