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Question Paper Code: 41653

B.E. / B.Tech. DEGREE EXAMINATION, NOV 2016

Fifth Semester

Instrumentation and Control Engineering

14UIC503 - ADVANCED CONTROL SYSTEM

(Regulation 2014)

Duration: Three hours

Maximum: 100 Marks

Answer ALL Questions

PART A - (10 x 1 = 10 Marks)

- $\phi(s)$ is called the
 - State transition matrix
 - Resolution matrix
 - Resolvent matrix
 - Transfer matrix
- The concepts of controllability and observability were introduced by
 - Gilbert
 - Kalman
 - Gibson
 - None of these
- The purpose of intentionally introducing nonlinearities into the system is
 - to improve the system performance
 - to reduce the system performance
 - to complex the construction of the system
 - not alter the system performance
- The coordinate plane with the state variables x_1 and x_2 as two axes is called
 - phase trajectory
 - phase portrait
 - phase plane
 - singular point

5. Which of the following is the example of the non linear system

(a) $y = ax^2 + e^{bx}$

(b) $y = ax + b \frac{dx}{dt}$

(c) $y = ax^2 + b \frac{dx}{dt}$

(d) $y = a^2 x + e^{bx}$

6. A locus passing through the points of same slope in phase plane is called

- (a) limit cycles (b) phase portrait (c) phase plane (d) isoclines

7. An unforced (i.e., $u = 0$) and time invariant system is called

- (a) linear system (b) non linear system
(c) autonomous system (d) none of these

8. The linear autonomous system is $\dot{x} = Ax$, where A is

- (a) $n \times n$ real constant matrix (b) $m \times n$ real constant matrix
(c) $n \times 1$ real constant matrix (d) $1 \times n$ real constant matrix

9. The control law is

- (a) $U = Kx$ (b) $U = -Kx$ (c) $U = K^2 x$ (d) None of these

10. The optimal control theory is applicable for

- (a) Multivariable system (b) SISO
(c) Autonomous system (d) None of these

PART - B (5 x 2 = 10 Marks)

11. Define observability.

12. List two properties of non linear systems.

13. Define describing function.

14. List two analysis of non linear system.

15. Express Matrix Riccati equation.

PART - C (5 x 16 = 80 Marks)

16. (a) (i) Construct a state model for a system characterized by the differential equation

$$\frac{d^3 y}{dt^3} + 6 \frac{d^2 y}{dt^2} + 11 \frac{dy}{dt} + 6y + u = 0 \quad (8)$$

- (ii) Consider the matrix A. Compute State transition matrix $A = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix}$ (8)

Or

- (b) Consider a linear system described by the transfer function $\frac{Y(s)}{U(s)} = \frac{10}{s(s+1)(s+2)}$.

Design a feedback controller with a feedback so that the closed loop poles are placed at -2, $-1 \pm j1$. (16)

17. (a) Construct a phase trajectory by delta method for a non linear system represented by the differential equation, $\ddot{x} + 4\dot{x} + 4x = 0$. Choose the initial condition as $x(0) = 1.0$ and $\dot{x}(0) = 0$. (16)

Or

- (b) A linear second order servo is described by $\ddot{e} + 2\rho\omega_n\dot{e} + \omega_n^2 e = 0$ where $\rho = 0.15$, $\omega_n = 1 \text{ rad/sec}$, $e(0) = 1.5$, $\dot{e}(0) = 0$. Determine the singular point and construct the phase trajectory using the method of isoclines. Choose slope as -2, -0.5, 0, 0.5, and 2. (16)

18. (a) Derive the describing function of dead-zone nonlinearity. (16)

Or

- (b) Derive the describing function of saturation nonlinearity. (16)

19. (a) Using the Lyapunov equation, examine the stability range for the gain K of the system shown in figure-1. (16)

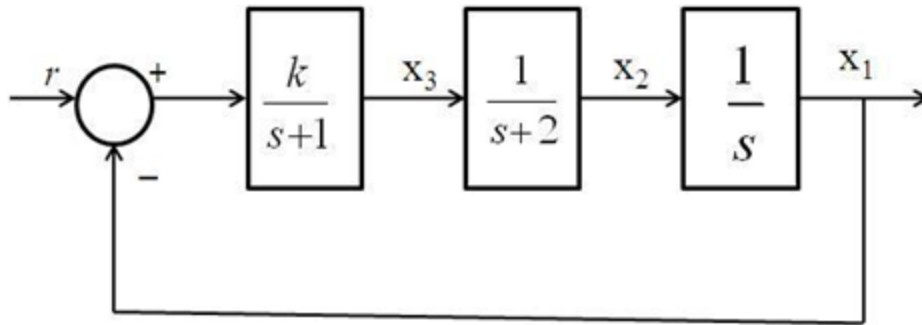


Figure 1

Or

(b) Describe Popov's criterion for stability analysis. (16)

20. (a) Consider the second order system as shown in figure 2. Calculate the value of damping ratio ξ , so that the system is subjected to a unit step input r , the

performance index $J = \int_0^{\infty} (e^2 + \dot{e}^2) dt$ is minimized. The system is assumed to be at rest initially. (16)

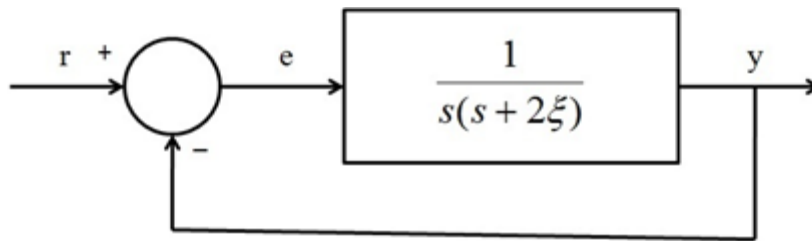


Figure 2

Or

(b) Discover the control law which minimizes the performance index

$$J = \int_0^{\infty} (x_1^2 + 0.25 u^2) dt . \text{ For the system } \begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ 0 & 0 \end{bmatrix} x + \begin{bmatrix} 1 \\ 100 \end{bmatrix} u . \quad (16)$$